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## Q-voter model with independence on multiplex networks

Tomasz Gradowski, *Faculty of Physics, Warsaw University of Technology*

Q-voter model with independence is studied on multiplex networks with two layers (duplex networks) analytically using pair-approximation method and numerically by Monte Carlo simulations. The layers have a form of random regular, Erdős–Rényi and scale-free networks with identical degree distributions. In a usual  $q$ -voter model, each time step agent interacts with a group of  $q$  randomly chosen neighbours; if  $q$ -neighbourhood is homogeneous then the agent follows its opinion with probability  $1 - p$  and acts independently with probability  $p$ . In the  $q$ -voter model on multiplex networks two kinds of dynamics are considered, LOCAL&AND and GLOBAL&AND [1]. In the case of LOCAL&AND dynamics agent changes opinion if the above-mentioned update rule applied separately to  $q$ -neighbourhoods on each layer suggests change; in the case of GLOBAL&AND dynamics the agent changes opinion if the above-mentioned rule applied to a neighborhood composed of all  $q$ -neighborhoods from all layers suggests change. Depending on the kind of dynamics and the parameter  $q$  continuous or discontinuous phase transition to a ferromagnetic state is observed as  $p$  is decreased. Qualitatively, this transition resembles that reported for the  $q$ -voter model with independence on a duplex network with fully connected layers [2]. Quantitatively, significant differences in comparison with the latter case are observed in Monte Carlo simulations, depending mainly on the relationship between  $q$  and the mean number of neighbours within each layer. These Monte Carlo results exhibit good quantitative agreement with the analytic predictions from the pair-approximation method.

[1] C.D. Brummitt, Kyu-Min Lee, K.-I. Goh, *Phys. Rev. E* 85, 045102 (2012).

[2] A. Chmiel, K. Sznajd-Weron, *Phys. Rev. E* 92, 052812 (2015).